

# Mass transfer in eccentric White Dwarf – Neutron Star binaries

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# Introduction



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White Dwarf (WD) and a Neutron Star (NS)



## Why are WD-NS systems interesting

- May power a special type of GRBs (King et al. 2007)
- Likely source of Ca-rich gap transients (Kasliwal 2012)
- Nuclear burning possibly important (Metzger 2012).
- Main UCXB progenitors (van Haften et al. 2012).
- Good source for space-based GW missions (Antoniadis 2014).
- High mass loss – possible implications for galactic chemistry.
- Often contain millisecond pulsars (Wijnands 2010).
- Second largest fraction of doubly compact binaries (Nelemans et al. 2001).



# Summary on WD-NS systems

- Form at  $a$  above  $\sim R_{\odot}$
- Inspiral to contact due to GW emission
- Two possibilities after MT starts:
  - Low mass WD:
    - Stable MT on  $\sim \tau_{GW}$
    - Seen as UCXB
    - Fade after a few Gyr
  - High mass WD:
    - Unstable MT on  $\sim \tau_{dyn}$
    - Transient event



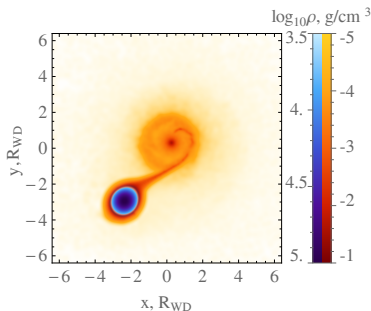
# WD-NS observations

- Detached systems – binary pulsars (radio):
  - $\sim 250$  known (ATNF catalogue)
  - $2.2 \cdot 10^6$  expected in the Galaxy (Nelemans et al. 2001)
  - Merger rate of  $1.4 \cdot 10^{-4} \text{ yr}^{-1}$  per galaxy (Nelemans et al. 2001)
- Transferring systems (low mass WDs) – UCXBs (x-ray):
  - 13 confirmed (van Haaften et al. 2012)
  - $\sim 500$  expected with  $P < 70\text{min}$  (Belczynski & Taam 2004)
- Transients (high mass WDs):
  - $\sim 10$  gap transients seen, e.g. Kasliwal (2011)



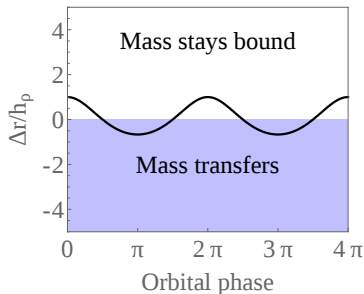
# Our work

- Modified SPH simulations of mass transfer
- Which systems are stable?  $M_{crit}$  – ?
- How do they look like?
  - Extract non-conservative mass transfer parameters
  - Apply binary stellar evolution



## Eccentricity importance

- Eccentric population with a heavy WD (Davies et al. 2002)
- At least  $\sim 0.1$  of all WD-NS in the field (Nelemans et al. 2001)
- Contact  $e$  is  $\sim 10^{-2.5}$  from GWs only
- WD atmospheres are thin:  $h_\rho \sim 10^{-5} R_{WD}$
- MT turns on and off during the orbit
- UCXBs in GCs are often eccentric, e.g. 4U 1820-30, also Prodan & Murray (2015).



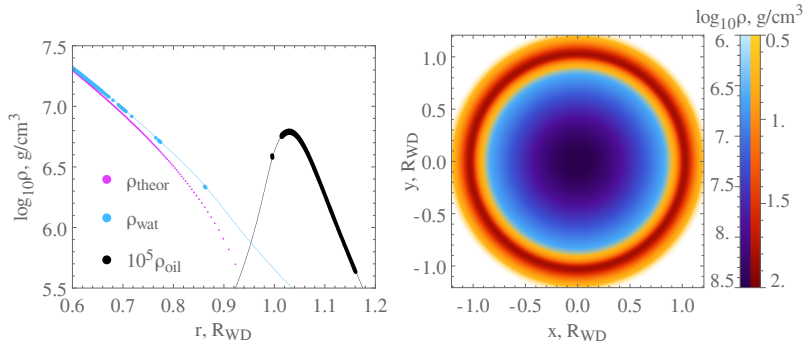
# Stable mass transfer in SPH

- Hard to model in standard SPH
- Need  $\sim 10^{12}$  particles
- Typical UCXBs transfer  $\sim 10^{-12} M_{WD}$  per orbit
- Cannot use too different particle masses
- Oil on water approach (Church et al. 2009)
- Treat stellar body and atmosphere separately



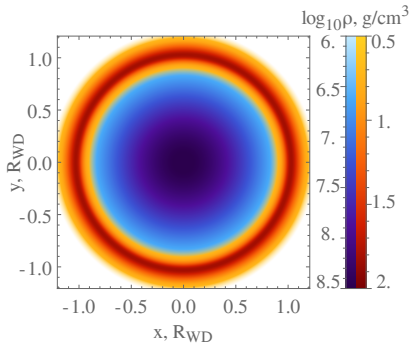


# OW method scheme



# Numerical method 1: Oil layer

- Has to be thick
- Support by artificial  $T$  (ideal gas, applies for  $\dot{M} < 10^{-5} M_{\odot}/\text{yr}$ )
- No self-gravity:  $\mathcal{O}(N_{oil})$  complexity
- Equations scale-free in  $m_{oil}$



## Numerical method 2: The binary

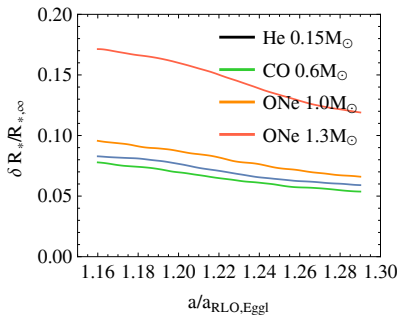
- Quadrupole interactions important
- Keplerian  $\varphi$  causes effective  $e \sim 0.01$
- $\dot{M}$  swing of  $\sim 0.5$  dex, e.g. Dan et al. (2011)

$M_{WD}, M_{\odot}$	0.15	0.6	1.0	1.3
$\delta e_{quadr}$	$4.0 \cdot 10^{-3}$	$7.0 \cdot 10^{-3}$	$6.8 \cdot 10^{-3}$	$7.0 \cdot 10^{-3}$



## Numerical method 3: $R_{\star}(a)$ dependence

- $R_{\star}$  changes with  $a$
- Indirectly observed by Dan et al. (2011)
- Typical change  $\sim 5\%$
- Important for constructing waveforms



# Simulations: what do we see

*Video slide*



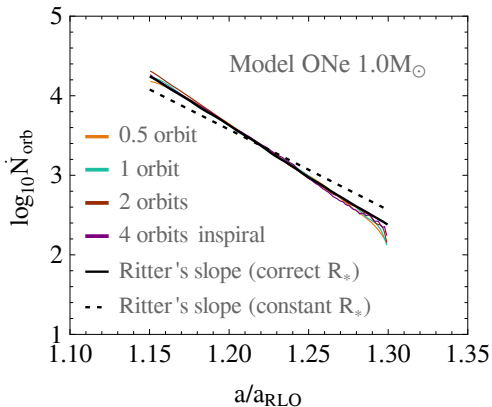
# Mapping SPH to the general model

- Atmosphere:
  - Artificially thick
  - Measure everything in  $h_\rho$
- Timescales:
  - Real systems evolve over  $10^2 - 10^6$  orbits
  - SPH: Represents continuum of stages
  - Scale-free, quasi-steady
- Mass flows:
  - Split the simulation into regions



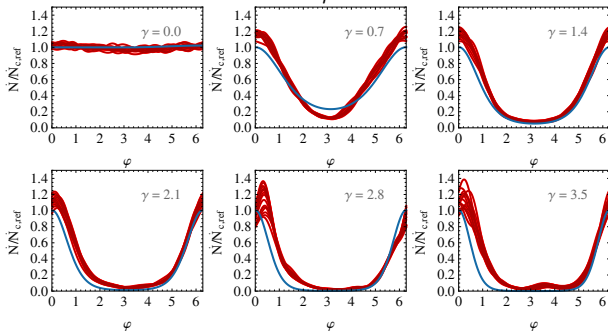
# Instantaneous $\dot{M}_{circ}$

- $\dot{M}$  at given  $a$
- Expect Ritter's formula (Ritter 1988):  $\dot{M} \sim \exp \frac{R_{\star} - R_{RL}}{h_{\rho}}$
- Observed:



# Instantaneous $\dot{M}_{ecc}$

- Eccentric  $\dot{M}$ : instantaneous response model
- $\dot{M}_{orb}(a, e) = \dot{M}_{circ}(a) f\left(\frac{Re}{h_\rho}\right)$





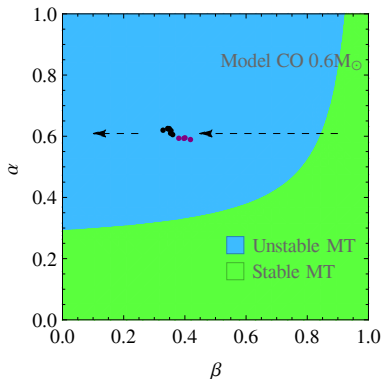
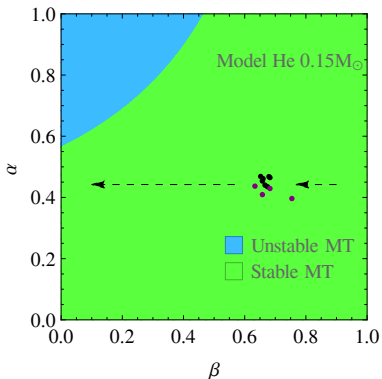
## Parameters we extract

- Long term evolution: importance of mass loss
- Measure parameters (Rappaport 1982):
  - How much mass is lost:  $\beta \equiv -\dot{M}_1/\dot{M}_2$
  - How much of  $J_z$  is lost:  $\alpha \equiv \frac{\dot{J}_{loss}}{\dot{m}_{loss}} / \frac{J_{12}}{\mu}$
  - How much does the envelope affect  $a$ :  $\alpha_{CE} \equiv \dot{E}_{orb}/\dot{E}_{ej}$



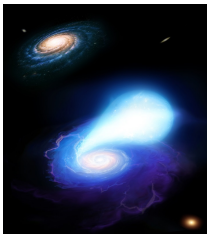
## Further results

- Boundary masses  $\sim 0.2M_{\odot}$  for disc wind model
- Constant  $e$  does not affect long-term  $\dot{M}$
- Varying  $e$  may drive  $\dot{M}$
- Observations affected by: CE, rad. feedback, the jet



# Conclusions

- WD-NS systems are:
  - Sources for UCXBs
  - Likely to produce transients
  - Often eccentric
- We model them using a modified SPH scheme
- And link the results to a binary evolution model



Thank you!

